(p,2p) Reactions on ⁹⁻¹⁶C at 250 MeV/A

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"Target" : Carbon Isotopes 9,10,11,12,13,14,15,16C





Secondary Beam Lines @HIMAC



Experimental Setup @F3



Setup seen from downstream side



Solid Hydrogen Target (SHT)



"Hydrogen" Target



Measured Quantities

beam:

"Symmetric" Geometry $\theta_{CM}(pp) \approx 90^{\circ}$ velocity (β): $\sigma_{\beta}/\beta \approx 1.2 \times 10^{-3}$ phase space : $\sigma \approx 1 \text{ mrad}$ two protons : $\theta_{Lab} = \pm 39^\circ \pm 9^\circ (H, V)$ $\sigma \approx 3 \text{ mrad}$ Angle : $\sigma_T / T \approx 1\%$ @ $T_P = 115 MeV$ $T_{p} = 20 - 210 \text{ MeV}$ Energy : forward particles : (Z,A) identified: $\sigma_A \approx 0.25$ momentum (\vec{q}): $\vec{q}_{\perp} = (\vec{p}_1 + \vec{p}_2)_{\perp}$ $\vec{q}_{II} = \frac{\left(\vec{p}_1 + \vec{p}_2\right)_{II}}{\gamma} - \beta \left(M_A - M_{A-1} - \frac{q^2}{2M_{A-1}}\right)$ separation energy (S_p) : $S_{p} = \beta \gamma (\vec{p}_{1} + \vec{p}_{2})_{//} - (\gamma - 1)m_{p} - \gamma (T_{1} + T_{2}) - \frac{q^{2}}{2M_{A-1}}$

+ acceptance correction

Proton-Separation-Energy (S_p) Distribution



Effect of Angular Acceptance



Acceptance Correction (Simulation)

 $\frac{dN}{dq}$ (1) Momentum distribution (2) Separation Energy distribution 4 $\frac{dN}{dq}$ Acceptance for $S_p = 16 \text{MeV}$ s-hole (l=0) $\sigma = 100 \text{MeV/c}$ 4 3 120MeV/c 3 140MeV/c Yield [%] **Yield** [%] 160MeV/c 2 180MeV/c 200MeV/c $\theta_{lab} \approx 39^{\circ}$ 0_0^{\perp} 0 400 200 $\frac{1}{20}$ 80 Ō 60 S_p [MeV] q [MeV/c] Assumption Assumption * p-p angular distribution * p-p angular distribution isotropic in p-p CM isotropic in p-p CM * Momentum Distribution : Harmonic Osc. $\frac{d^{3}N_{l}}{d\vec{q}^{3}} \propto \frac{d^{3}N_{l}}{q^{2}dq} \propto q^{2l} \exp\left(-\frac{q^{2}}{\sigma_{l}^{2}}\right)$

Systematic observation of s-hole states



S_{p} selection for momentum distribution





Width of Momentum Distribution



Width $\sigma_0(s)$, $\sigma_1(p)$ Harmonic Osc. shape

$$\frac{d^3 N_l}{d\vec{q}^3} \propto q^{2l} \exp\left(-\frac{q^2}{\sigma_l^2}\right)$$

 p^{-1} : width increases as S_p becomes larger

s-1: width increases toward neutron-rich side





Assuming Harmonic Oscillator :

$$R_{rms}^{1s} = \sqrt{\frac{3}{2} \frac{\hbar c}{\sigma_s}}$$

smaller towards neutron-rich side (shirinking)

Total (p,2p) Yield

Total (p,2p) Yield \propto Effective proton number (spectroscopic factor)

Separation of "p-hole" & "s-hole" :p-hole :p(C,2p)Bx+ acceptance corrections-hole : $p(C,2p)\overline{B}x$ & S_p >proton thresholdIsotoropic in pp CM & Harmonic Osc.



⁹C (S_p=1.3MeV)

Yield from p shell is about 50% larger

effective proton number/spectroscopic factor larger

⁹⁻¹⁶C(p,2p)⁸⁻¹⁵B proton knockout reactions @250 MeV/A were measured for systematic information of weakly to strongly-bound valence protons(1p) deeply-bound inner-shell protons(1s)

(1) separation-energy distribution

momentum distribution : measured

total (p,2p) yield

decay mode tagged : p-hole/s-hole states separated

(2) Valence shell $(1p_{3/2})$ orbit : $S_p=1.3-23$ MeV

 \bigcirc momentum distribution :

quantitatively consistent with simple calculation, adjusting S_{p}

 \bigcirc total (p,2p) yield :

 $^{9}C(S_{p}=1.3 \text{MeV})$ yield is larger by about 50%

effective proton number/spectroscopic factor is larger

- (3) Inner shell $(1s_{1/2})$ orbit : $S_p=30-50 \text{MeV}$
 - \odot s-hole states observed systematically
 - \bigcirc energy gap $\Delta E(s_{1/2}-p_{3/2})$

minimum around ¹²C, wider on both sides

○ charge rms radii of s-orbit(core)

shirinks from \sim 2fm to \sim 1.5fm between ⁹C and ¹⁶C